H.T.No. R19 O.P.Code: 19EC0403 SIDDHARTH INSTITUTE OF ENGINEERING & TECHNOLOGY:: PUTTUR (AUTONOMOUS) B.Tech II Year I Semester Supplementary Examinations June-2024 SIGNALS, SYSTEMS AND RANDOM PROCESSES (Electronics & Communications Engineering) Max. Marks: 60 Time: 3 Hours (Answer all Five Units $5 \times 12 = 60$ Marks) UNIT-I **6M** L3 CO₁ a Find which of the signals are causal or non-causal. (ii) x(n)=u(n+4)-u(n-2)(i) $x(t) = e^{2t} u(t-1)$ L3 **6M** CO₁ **b** Sketch the following signals. (ii) x(t)=r(t)-r(t-1)-r(t-3)+r(t-4)(i) x(t)=2 u(t+2)-2 u(t-3)OR Interpret whether the following systems are Static or dynamic, Linear or CO1 12M 2 Non- Linear and Time invariant or time variant.

UNIT-II

OR

UNIT-III

OR

UNIT-IV

(ii) Associative Property

(iii) Response of the System

Construct the Fourier series expansion of the Half wave rectified sine CO2

3x

(iii) Cosω₀t

a Explain the Filter characteristics of linear systems and explain with neat CO3

a The impulse response of a continuous-time system is expressed as

a Determine the Laplace transform of the signal $x(t) = e^{-at} u(t) - e^{-bt}$

b Find the Laplace transforms and region for the following signals.

(ii) $x(t)=e^{-a|t|}$

 $h(t)=e^{-2t} u(t)$. Find the Frequency response of the system.

a Demonstrate how Fourier Transform derived from Fourier Series.

(a) $y(n) = log_{10} | x(n) |$ (b) $y(t) = at^2 x(t) + bt x(t-4)$

b Find the Fourier transform of the following.

(i) Impulse Response (ii) Step Response

b Define the Following Properties of LTI System.

(ii) x(t)=u(t)

wave shown in figure.

A

(i) x(t) = sgn(t)

diagrams.

b Define the following.

(i) Distributive Property

(i) $x(t)=e^{-5t} u(t-1)$

u(-t) and also find its ROC.

3

12M

6M

6M

6M

6M

6M

6M

6M

6M

CO₂

CO₂

CO₃

CO₃

CO₃

CO5

CO5

L3 L1

L1

L3

L1

L5

L1

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	160

8 Let X is a continuous random variable with density function. CO6 L3 12M $f_X(x) = x/9 + k$ 0 < x < 60 Otherwise i) Find 'k' ii) Find p[2 < x < 5]UNIT-V What is cross correlation function of a random process? State and CO6 L1 12M explain any four properties of cross correlation function of a random process. OR 10 a Briefly explain the concept of Random process. **CO6 L2 6M b** Prove that the PSD of the derivative X(t) is equal to ω^2 times the PSD **CO6 L6 6M** of $Sxx(\omega)$.

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